



SAMPLE CALCULATIONS FOR FNR GEAR BOX AND CVT COMBINATION

Gear Reduction Selection

Power Requirements against:

Fr: Wheel Resistance

F_L : Air resistance

Fs: Gradient resistance

Fa: Acceleration resistance

Wheel Resistance= Rolling resistance + Slip Resistance + Road Resistance

Tr: Brake Torque

Assumption taken

Unmade road coefficient of friction $f_r = .16$

mass of vehicle being=Mf

CALCULATIONS

$F_r = f_r * M_f * g * \cos \alpha$ where $\alpha = 30^\circ$

$F_r = 0.16 * 200 * 9.81 * \cos 30$

$F_r = 280N$

Total Load R=113kg(driver)+200kg (vehicle)

$R = 313 * 9.81 = 3070.50N$

Static Resistance= μR

$= 0.65 * 3070.5 = 1995.84N$

$V_{max} = 60 \text{ kmph}$

Wheel Radius $r = 221.875 \text{ mm}$

$= .221 \text{ m}$

Air Resistance

$F_L = 0.5 \rho C_w A v^2$

P=Air Density

Cw=Drag Coefficient

A=Area

V=velocity

$$F_L = 0.5 * 1.99 * 0.0315 * (16.66)^2$$

$$= 0.52 \text{ N}$$

Gradient Resistance:

$$F_{st} = M_f * g * \sin \alpha$$

Putting the corresponding value

$$F_{st} = 131.725 \text{ N}$$

Acceleration resistance:

$$F_a = m * a$$

$$= 956 \text{ N}$$

$$F_{total} = 2662.247$$

Power Required: $F_{total} * v / (N_{rpm} * \eta)$

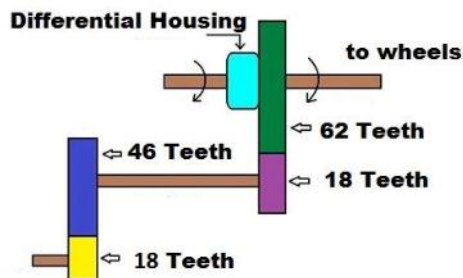


Fig62: Gear Train Layout

$$= 10 \text{ Kw}$$

$$\text{Engine Torque } T_e = 60000 * 7.084 / (2\pi * 3800)$$

$$= 17.81 \text{ Nm}$$

$$\text{For low end gear} = 8.6 * .85 * 17.81 = 130.2 \text{ Nm}$$

$$\text{Tractive Effort} = T_w / r = 465.9 \text{ N}$$

Gear reduction requirement

$$I_a \text{ max}; r * M_f * g (f_r \cos \alpha + \sin \alpha) / T_{max} * \eta_{tot}$$

$$\text{Putting the values: } 24.5$$

$$I_a \text{ min: } 2.77$$

$$I_{overall}: 24.5 / 2.77 = 8.68$$

Proposed gear layout

Velocity At Lower And Higher end Gear ratio: $V=16.28*(D/G)$

V for High torque=14.37kmph

V for low torque=80kmph (theoretical)

Calculation for module and strength

Step1: Estimation of module based on beam strength

$$Z_p=18$$

$$Z_g=iZ_p=3.33*(18) \\ =60$$

$$M_t=60 \times 10^6 * 7.08 / (2\pi * 3600) \\ =18.7 \text{ Nm}$$

Lewis form factor is 0.308 for 18 teeth

Therefore $Y=0.308$

$$C_s=\text{Starting torque}/\text{rated Torque}=1.5$$

Assuming a trial velocity value=5m/s

$$C_v=3/3+v=3/8$$

Assuming $b/m=10$

$$m=\frac{\{60 \times 10^6 [7.08 * 1.5 * 1.5 * 720 * 0.308]^{1/3}\}}{\{\pi [18 * 3600 * (3/8) * 10^3]\}} \\ =2.5 \\ =3 \text{ mm}$$

Step2 $m=3 \text{ mm}$

$$D_p'=m * Z_p=3(18)=54 \text{ mm}$$

$$D_g'=m * Z_g=180 \text{ mm}$$

$$b=10m=30 \text{ mm}$$

Checking the design

$$2M_t/D_p'=695.5 \text{ N}$$

$$V=\pi D_p' n_p / (60 \times 10^3) = 10 \text{ m/s} \quad C_v=3/3+V=.2307$$

$$P_{eff}=C_s/C_v * (P_t) \\ =4522.49 \text{ N}$$

$$\text{From Lewis Equation, } S_b=m * b * \sigma_b * Y \\ =6642.8 \text{ N}$$

$$\text{FOS} = S_b / P_{eff} = 1.5$$

Step 3 Surface hardness for the pinion

$$Q=2Z_g/Z_g+Z_p=1.5 \quad , \quad S_w=bQDp^3K=30(1.5)(54)(0.16)(BHN/100)^2$$
$$S_w=P_{eff}(1.5)$$
$$=4522.5*1.5=6783.75=388.8(BHN/100)^2$$

Or BHN=417

Now Centre to Centre Distance

$$a=m(Z_p+Z_g)/2=117\text{mm} \quad \alpha=20^\circ$$
$$m=3\text{mm}, \quad \text{Addendum}=m=3\text{mm}$$
$$\text{Dedendum}=1.25m=3.75\text{mm}$$
$$\text{Clearance}=0.25m=0.75\text{mm}$$
$$\text{Working Depth}=2m=6\text{mm}$$
$$\text{Whole Depth}=6.75\text{mm}$$
$$\text{Tooth thickness}=1.5m=4.712\text{mm}$$

SHAFT ANALYSIS(input/intermediate)

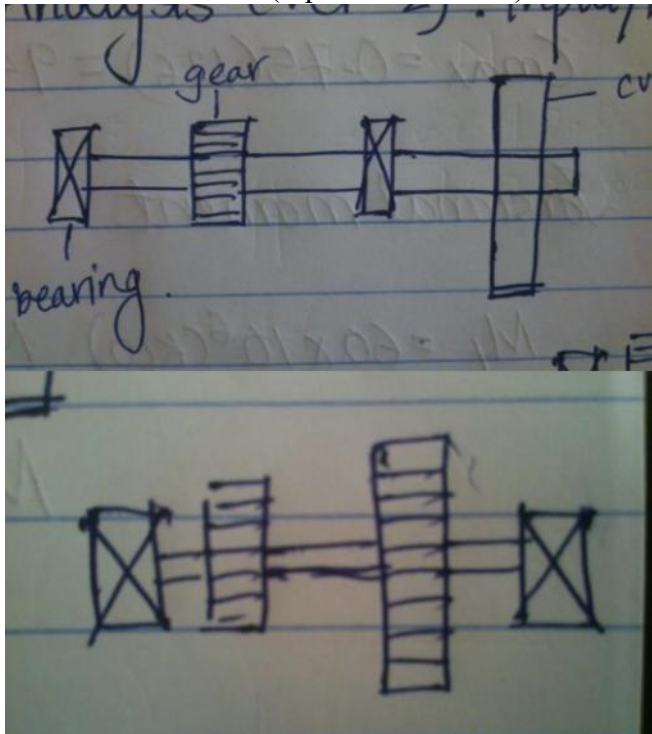


Fig 63:Shaft Analysis

$$\text{Outer Diameter}=19\text{mm}$$
$$S_{yt}=460\text{N/mm}^2 \quad \text{FOS}=3$$

$$\text{Centre to Centre}=200\text{mm} \quad \text{Engagement Load}=0.850\text{KN}, \quad \text{Maximum Load}=1.2\text{KN}$$
$$\mu=0.3 \quad \Theta=180^\circ \quad P=7.084\text{KW} \quad N=3600\text{rpm}$$
$$D=198\text{mm} \quad D_p=54\text{mm} \quad K_b=K_t=1.5$$

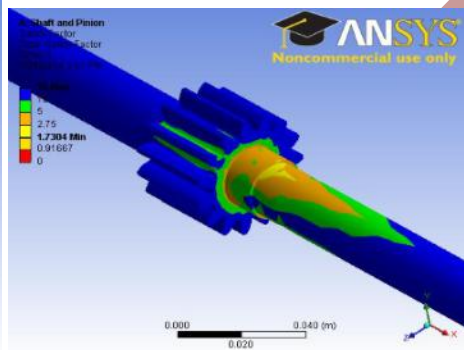
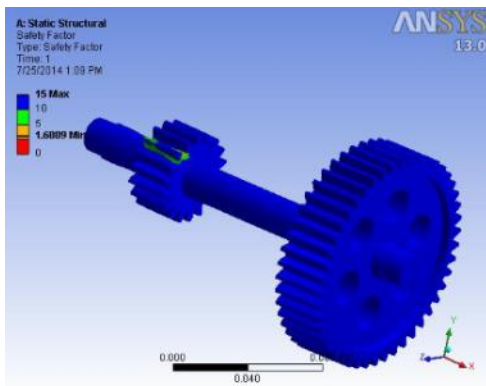
Step1 Permissible Shear Stress

$$0.30(S_{yt})=138\text{N/mm}^2$$

$$0.18(S_{ut})=0.18 \times 700=126\text{N/mm}^2$$

$$=0.75(126)=94.5\text{N/mm}^2$$

the lower of the two is $126\text{N/mm}^2 \tau_{\max}$



Step 2: Torsion Moment

$$M_t = 60 \times 10^6 / 2\pi N = 18660.91\text{N} \text{ or } 44881.693\text{N} @ 1800\text{rpm}$$

Moment

$$\text{Pulley Diameter} = 198\text{mm}$$

$$P_r = P_t \cdot \tan(20)$$

$$(P_1 - P_2) \times 198 / 2 = 44881.693\text{N}$$

$$(P_1 - P_2) = 453.35\text{N}$$

$$\text{And } P_1 = 3P_2$$

$$\text{Therefore } 2P_2 = 188.49\text{N}$$

$$P_2 = 226.67\text{N}$$

$$P_1 = 680.02\text{N}$$

Step 3: Bending